| 1 | Exponents <br> 1_2 <br> Mathem <br> atics | A worm with some magic <br> Chapter 13 <br> powers, grows to "a" times its <br> own length each week. If its <br> length is "a" cm now, five <br> weeks from now its length will <br> be: |  | C |
| :---: | :--- | :--- | :--- | :---: | :---: |






| 7 | 5_29 <br> Mathematics <br> 11327 | EXPONENTS AND POWERS <br> Chapter 13 | Which of these can be expressed as $5^{3}$ ? |  | D |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  | ptions |  |
|  |  | Option A | Option B | Option C | Option D |
|  |  | $2^{3}+3^{3}$ | $5+5+5$ | $3 \times 3 \times 3 \times 3 \times 3$ | $\begin{aligned} & (7-2) \times(7-2) \times \\ & (7-2) \end{aligned}$ |







| $\begin{aligned} & \mathbf{Q} . \\ & \mathbf{N} \end{aligned}$ | Folder name \& Questio n Code | Topic | Question with <br> Answer Option s | Image (If Any) |  | Correct Answer (OptionA,B,C,D) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 13 | 3_19 <br> Mathematic <br> s 2701 | VISUALISING SOLID SHAPES Chapter 15 | Three of the cardboard cut-outs shown below form cubes when folded up along the dotted lines. Which cut-out does NOT form a cube when folded up? |  |  | C |
|  |  | Answer Options |  |  |  |  |
|  |  | Option A | Option B | Option C | Option D |  |
|  |  | A. | B. | C. | D. |  |


| $\begin{aligned} & \mathbf{Q} \\ & \cdot \\ & \mathbf{N} \end{aligned}$ | Folde <br> r <br>  <br> Quest ion Code | Topic | Question with Answer Options |  | $\begin{gathered} \text { Imag } \\ \text { e (If } \\ \text { Any) } \end{gathered}$ | Corr ect <br> Ans wer (Opti on $\mathbf{A}, \mathbf{B}, \mathbf{C},$ <br> D J |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 14 | 5_27 <br> Mathe matic <br> s | Visualising Wh <br> Solid stat <br> Shapes the <br> Chapter 15 cor <br> bel <br>   | Which of the following statements is true about the edges meeting at corner X of the box shown below? |  |  | D |
|  | 8365 | Answer Options |  |  |  |  |
|  |  | Option A | Option <br> B | Option C | Option D |  |
|  |  | 3 edges meet at X and each edge is perpendicular to exactly one of the other two. | 4 edges meet at X, one pair of edges is perpendicu lar and the other parallel. | 3 edges meet at $X$ and each edge is parallel to the other two. | 3 edges meet at each edge is perpendicular to other two. | and <br> the |



